

Asynchronous computing of irregular applications using the SVPN model and S-Net coordination

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Some context

- Exascale computing presents new challenges
- The user community: conservative and inertial
- Need a way forward
 - change the “logistics” of computing
 - preserve the “mathematics”
- This will not be possible within subject niches!
- Separation of concerns



Solution: component technology

- Mathematical components
- Coordination language for concurrency engineers
- Two-level specification
- Important: the issue of scale!



Medium grain mathematics

- lightweight components, no internal *persistent* state, no access to the environment's state
- any programming language (... for conservative users ...)
- can re-compute a component without breaking semantics
- can clone and move
- “instructions of an asynchronous dataflow machine”



Large scale logistics

- Coordination language taking care of:
 - messages delivering arguments to functional components
 - messages produced by the functional components
 - aggregating and disaggregating messages (parameter lists) and providing a hierarchical abstraction OOP style
 - (synchronisation) storage



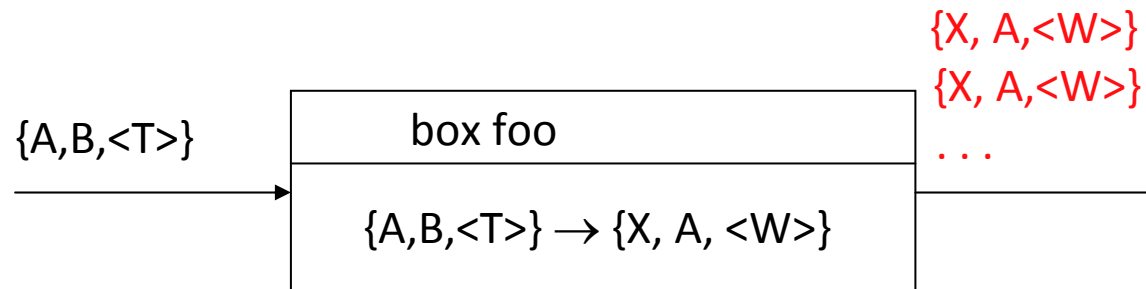
Remove coordination spaghetti from application code

- Components only needing ONE library function: for message OUTPUT
 - Due to the lack of access to the environment's state, all input is available at the start
- Open question: to what extent the separation is possible?
- Dataflow agenda
 - has the same problem: data driven computation vs hierarchical data, inheritance, incapsulation, etc.



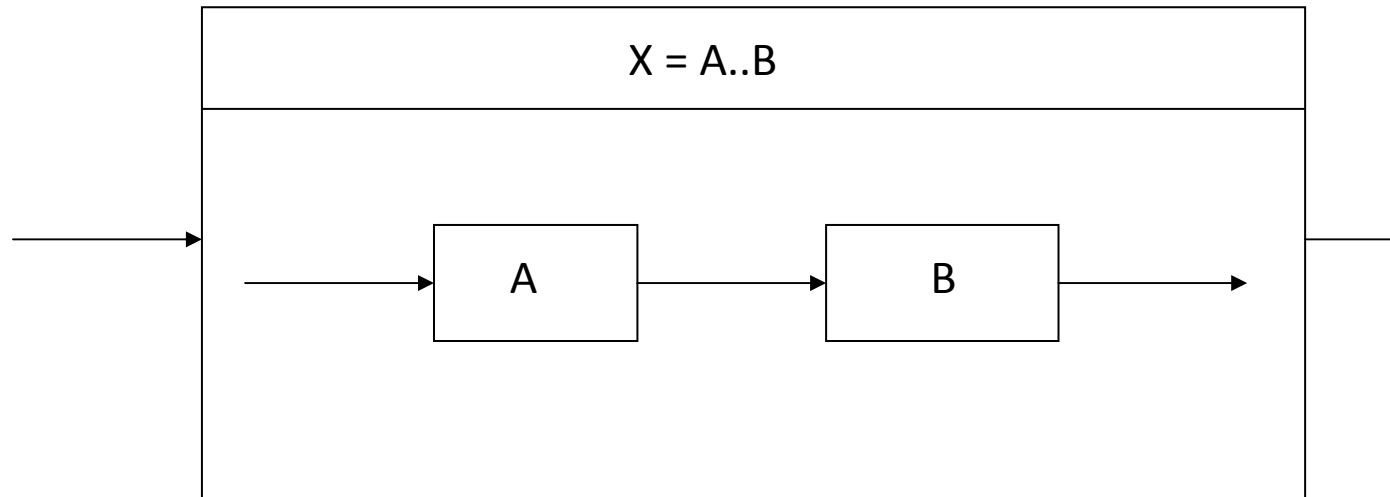
Technology: S-Net at a glance

- æ SISO boxes
- æ connected by
 - Single Input stream
 - Single Output stream
- æ Streams transport records:
sets of named entities
 - Opaq entities (value unavaliable to S-Net): fields
 - Transparent entities (vlues: integer): tags
- æ Box behaviour abstracted behind a type signature
- æ Boxes coded in a box language, not S-Net
- æ A box maps a single input record onto a stream (zero, one or more) of output records.



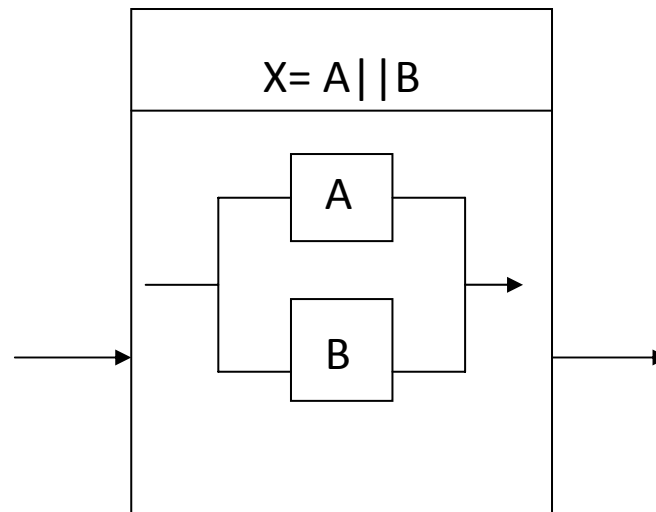
Network combinators: Serial

- A and B operate concurrently
- Input-record $\rightarrow A$; $\text{out}(A) \rightarrow B$



Network Combinators: Choice

- Input records are matched with the input types of A and B
- If matches A, goes to A, else if matches B goes to B
- If matches both, goes to the best match
- If both matches are the same strength (e.g. {X,Y,Z} vs {X,Y} and {Y,Z}), then the choice is **nondeterministic**



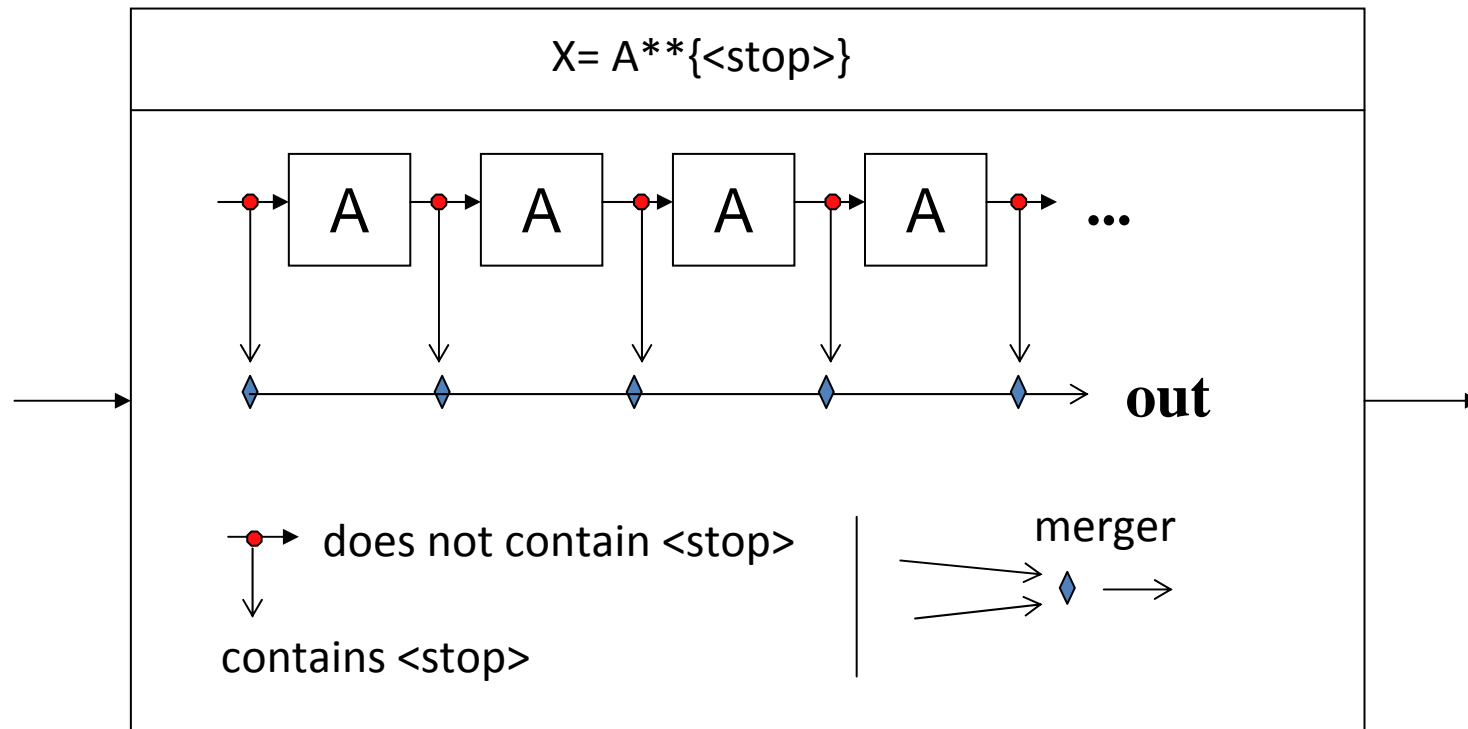
Single stream concurrency



- Left: MIMO
 - Each channel blockable independently, state transitions inside
- Right: SISO
 - Merger nondeterministic, R gets an arbitrarily interleaved stream
 - No state transitions, must accept either kind of record
 - Even so, either substream can block the other one
 - Resources may currently be available for one substream
 - (implementation) Merger is a **demand-driven reordering buffer**

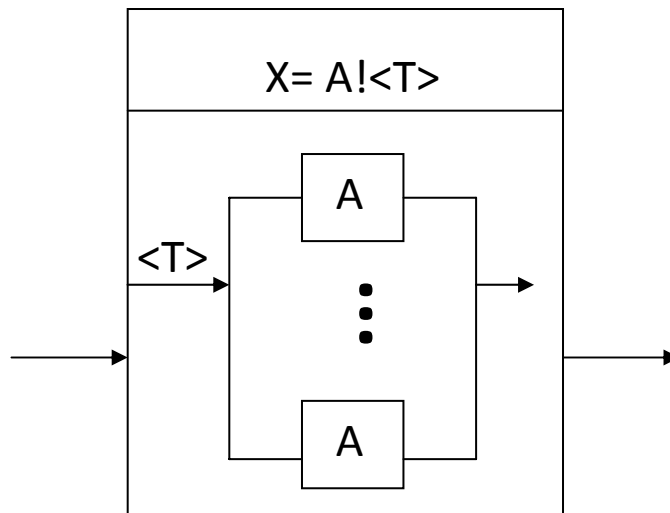
Network Combinator: Serial Replication

- An unfolding chain of serially-connected replicas of A
- Unfolding ends when all outputs from A match <stop>



Index Split

- All input records are required to have tag $\langle T \rangle$
- The tag value determines which replica of A the record is to be sent to
- $\langle T \rangle$ has arbitrary integer values
- A may or may not require the knowledge of $\langle T \rangle$

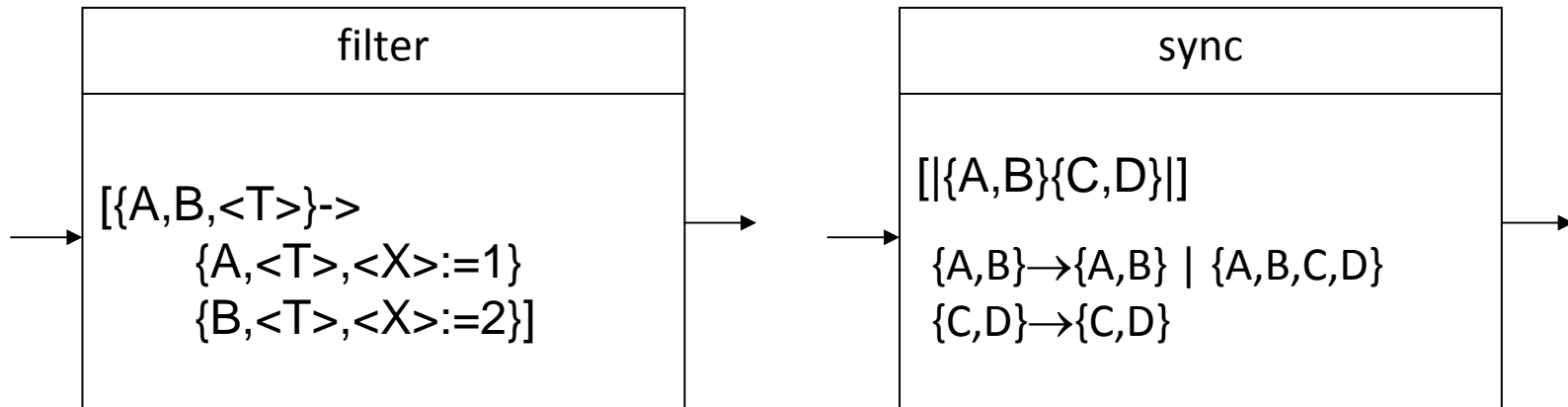


Determinism

- All combinators (except ..) are supported in two versions
- Nondeterministic
 - |, !, *
 - The merger joins the streams out of order
- Deterministic
 - ||, !!, **, ..
 - The merger joins the streams in order
- The .. combinator does not contain a merger, hence one version
- We are discussing the introduction of '!' such that A.B allows reordering of records between A and B.



Special Boxes



æ Housekeeping

- Eliminate record fields
- Duplicate record fields
- Rename records fields
- Add tags
- Manipulate tag values

æ Synchronisation

- Store record that comes first
- Wait for the other kind of record, while waiting pass records of the first kind through
- Then join the two records and die.
- A dead synchrocell is a pass-through.

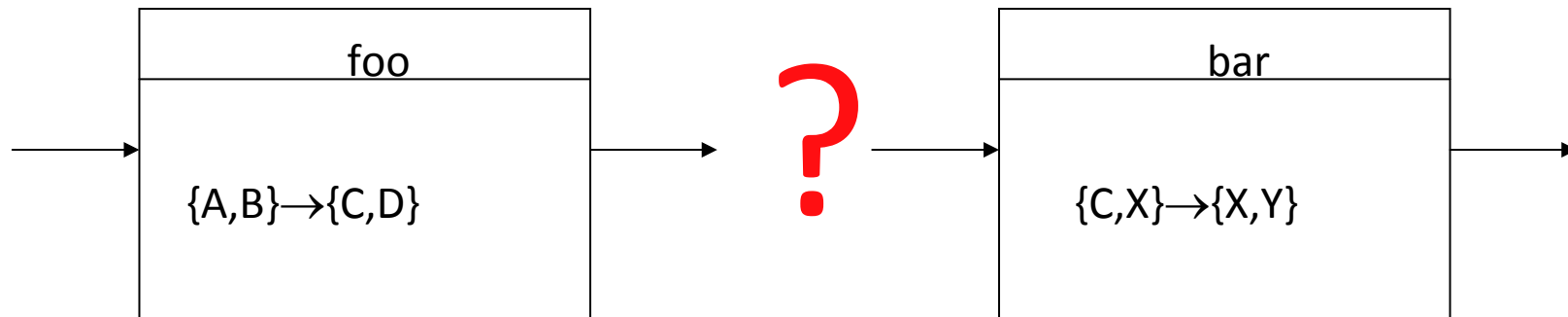
Type Concept

- Messages are sets of fields/tags
- Subtyping as supersetting: $\{A,B\}$ is good for $\{A\} \rightarrow \{C\}$, since $\{A\} \subseteq \{A,B\}$
- Type signatures are set of rules:
 $\{X,Y\} \rightarrow \{Y,Z\}$
 $\{V\} \rightarrow \{A,B,C\}$
here a superset is a subtype (can always add rules)

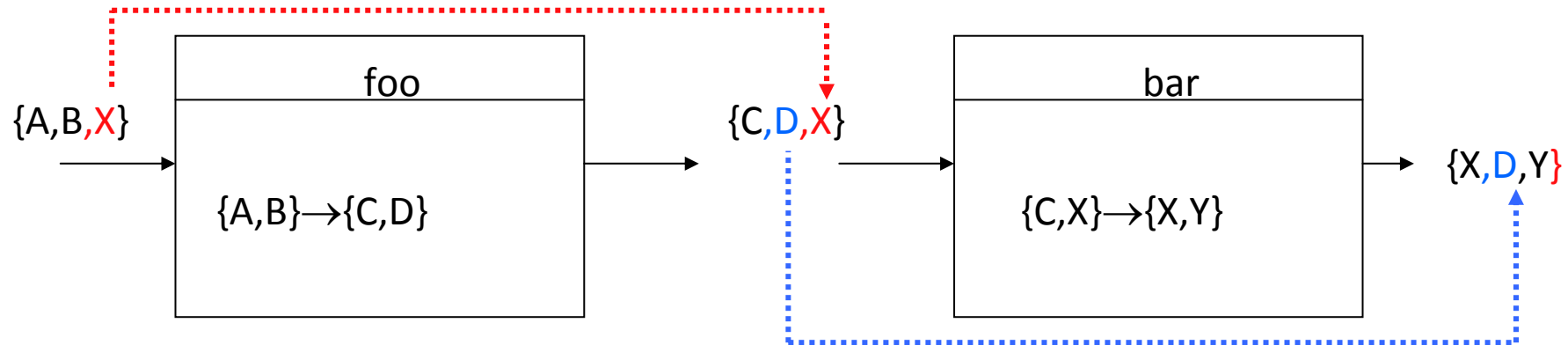


Inheritance

- Box code typically designed in isolation
- Interfaces only partially overlap
 - Boxes may need extra parameters, etc...
- Network composition without redesign?

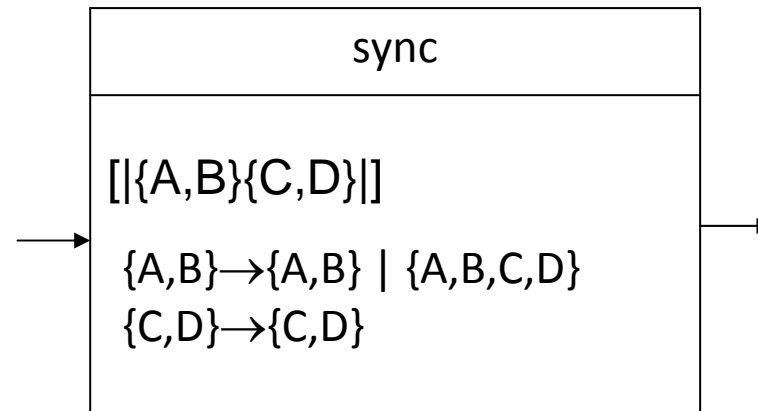


Flow inheritance



- Observe that $\{A, B, X\}$ is a subtype of $\{A, B\}$, hence acceptable as input of foo.
- *Instead of ignoring X , save it and attach it to all outputs of foo (thus lowering their type - which is valid). This is called "flow inheritance"*
- Similar with bar.
- The resulting signature is $\{A, B, X\} \rightarrow \{X, D, Y\}$

Inheritance for synchrocells



- ⌘ Operational behaviour is symmetric
- ⌘ Type signature is not
- ⌘ Ignores the case when the synchrocell is *intended* not to synchronise
- ⌘ Single inheritance (via the first pattern)
- ⌘ The other patterns not inheriting, pure subtyping

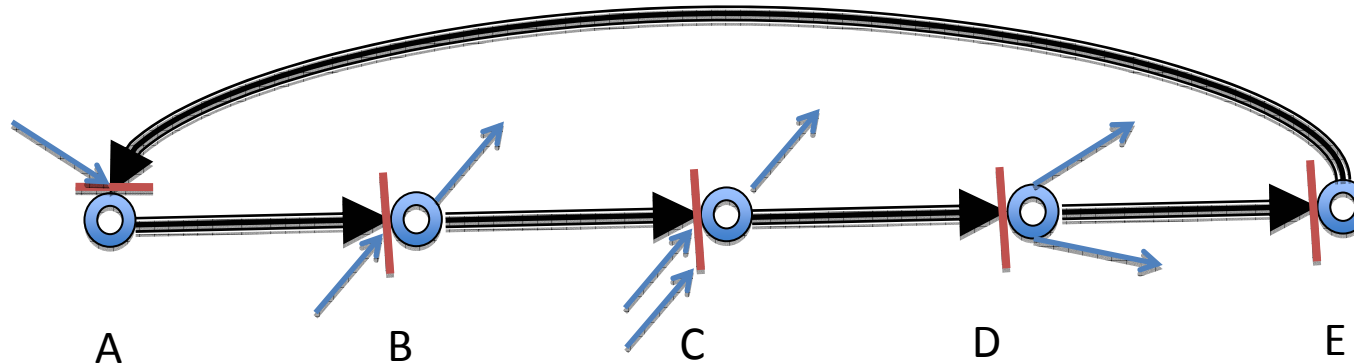
Code example: parallel DES

```
net des ( {Key, Pt} -> {Ct} ) {
  box xor( (Op1, Op2) -> (Result));
  box InitialP( (Pt) -> (L, R));
  box genSubKeys( (Key) -> (KeySet));
  box KeyInvert( (KeySet) -> (KeySet));
  box FinalP( (L, R) -> (Ct));
  net desRound {
    net feistel {
      net ExpandAndKeySelect {
        box BitExpand( (R) -> (Rx));
        box SubKey((KeySet, <C>)->(KeySet,NextKey,<C>));
      }
      connect
      [{R,KeySet,<C>}->{R};{KeySet,<C>}] ..
      (
        BitExpand
        |
        SubKey
      ) ..
      [ | {KeySet,NextKey,<C>}, {Rx} | ]
      *{Rx,KeySet,NextKey,<C>};
    }
    net KeyMix
    connect
    [{NextKey, Rx} -> {Op1=NextKey, Op2=Rx}] ..
    xor .. [{Result} -> {BitStr=Result}];

    box Substitute( (BitStr) -> (SStr));
    box Pbox( (SStr) -> (Rf));
  }
  connect
  ExpandAndKeySelect .. KeyMix ..
  Substitute .. Pbox;
```

```
net XorHalfBlocks
connect
[ {L, Rf} -> {Op1=L, Op2=Rf} ]
.. xor .. [ {Result} -> {R=Result} ];
}
connect
[ {L,R,KeySet,<C>}
->{L,R,KeySet,<C=C+1>};{Rn=R} ] ..
(
  [ {Rn} -> {L=Rn} ]
  |
  (
    [ {L,R,KeySet,<C>} -> {L}; {R, KeySet, <C>} ]
    .. (
      [ {L}->{L} ]
      |
      feistel
    ) ..
    [ | {L},{KeySet,Rf,<C>} | ] * {L,KeySet,Rf,<C>} ..
    XorHalfBlocks
  )
) .. [ | {L}, {R,KeySet,<C>} | ] * {L,R,KeySet,<C>};
}
connect
genSubKeys ..
( [ ] | ( [ {<Decipher>} -> { } ] .. KeyInvert ) ) ..
InitialP ..
[ {L,R,KeySet} -> {L,R,KeySet,<C=0>} ] ..
desRound*{<C>} if <C==16> ..
FinalP .. [ {KeySet, <C>} -> { } ];
```

Threading by inheritance



vars X, Y, Z:

```

for(...) {
  receive ...
  segA mod Y ... send ...
  send ...
  receive ...
  seg B ... send ...
  send ...
  receive ...
  seg C ... send ...
  send ...
}
  
```

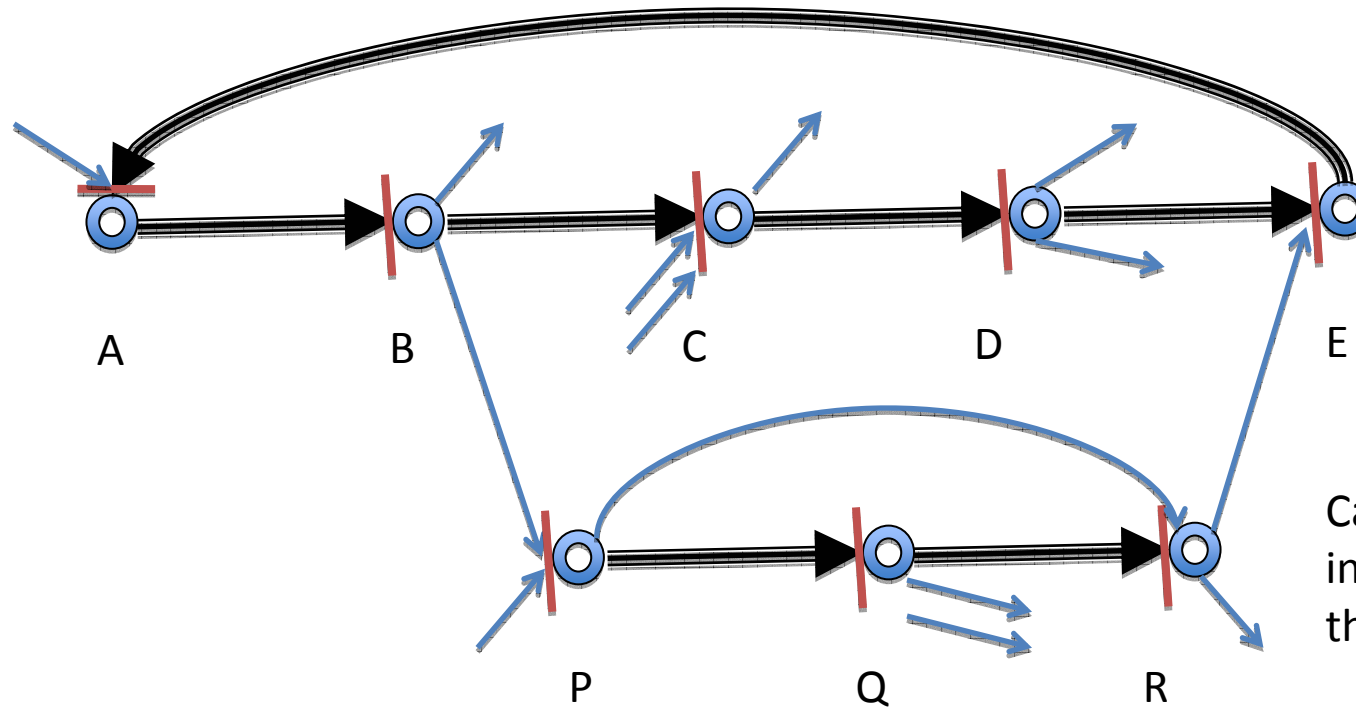
```

  receive ...
  seg D ... send ...
  send ...
  receive ...
  seg E ... send ...
  send ...
}
  
```

REPLACE
control flow by
data flow

encapsulate
local vars in
functional
segments

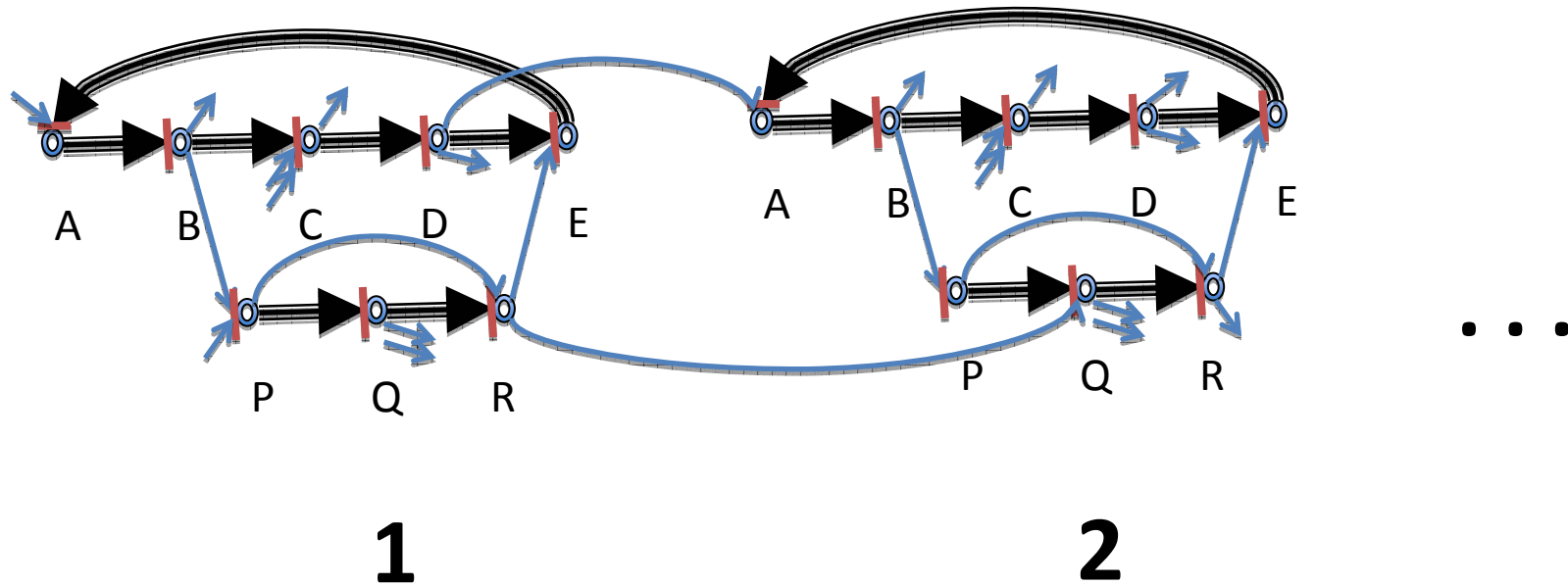
Heterogeneity



Can spawn a new inheritance thread

encapsulate local vars in functional segments

Add SPMD => Spinal Vector Petri Net (SVPN)



all messages carry a “virtual processor tag”

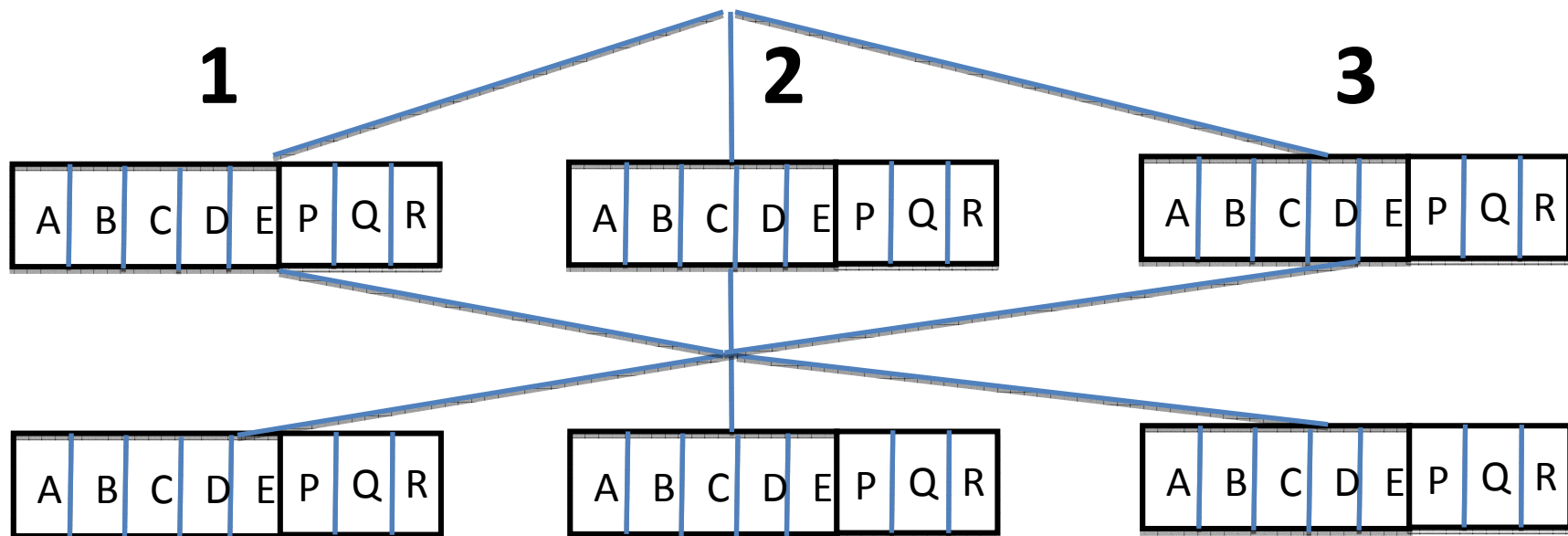
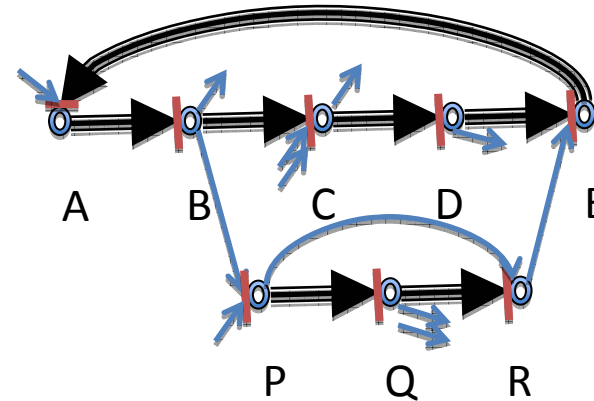


Direct translation to S-Net

(Solver!<p>)*<out>

Solver = A|B|C|D|E|P|Q|R

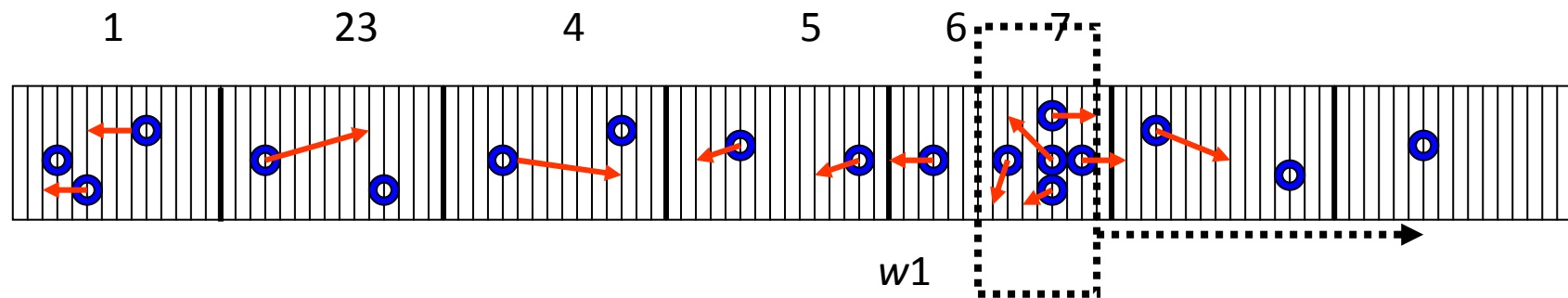
A = [| {{message4A}} |]..FuncA



...

Particles in Cells (PIC)

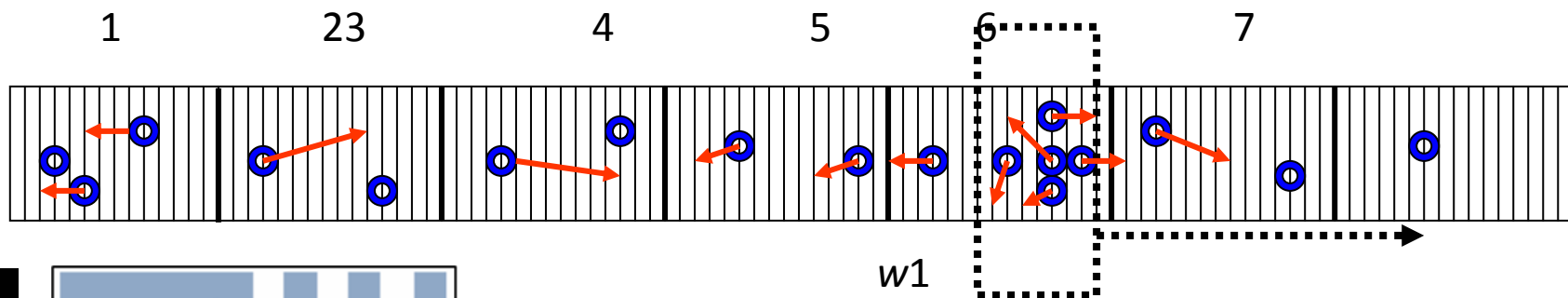
- Simulation of plasma particles interacting with each other via electromagnetic field
- Consider 1d for simplicity, and 1 sort of particles



- Field split evenly, perfectly balanced, particles imbalanced.
- “Windows” are introduced representing work to be delegated to other processors.

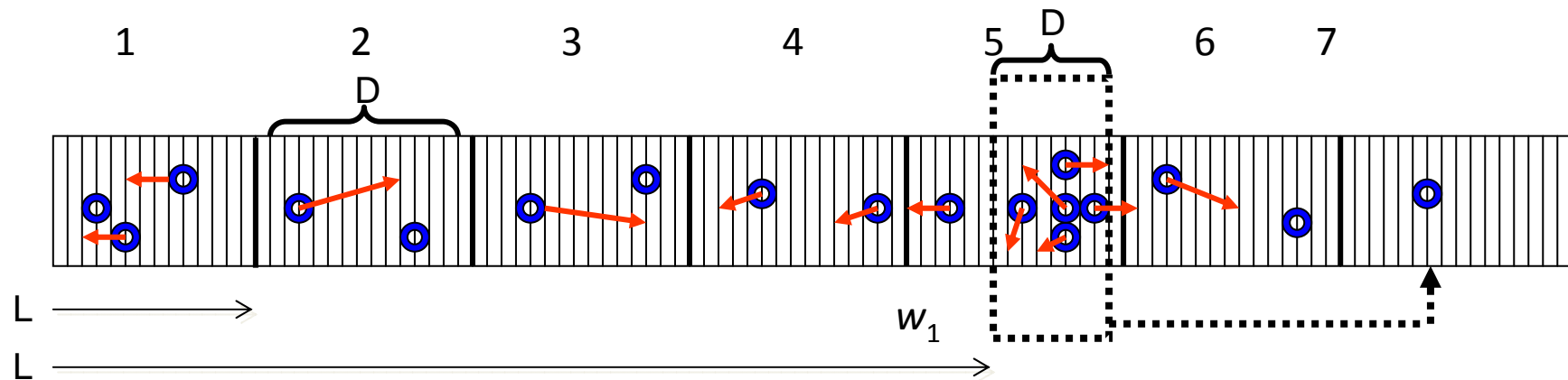
Basic concepts

- Particles are charged, each carrying a unit of charge.
- The field-grid nodes are assigned the charge of the particles near them, by interpolation.
- The field solver computes the field values due to the charges assigned to the nodes
- The particle pusher, applies EM forces to the particles due to the field values interpolated from the neighbouring nodes. The particles move accordingly.



Basic data structures

- The home record of a cell: particles pushed by the home base
{<p>,<A>, ***Phi***, LD,<nw>, ***x,v***}
- The window record: particles pushed by a deputy
{<p>,<A>,LD, ***x, v***, <return>,<id>}
- Processor tag <p>, stage <A>



The net

<p>, <A>, *Phi*, LD, <nw>, **x**, **v**

<p>, <A>, LD, **x**, **v**, <return>

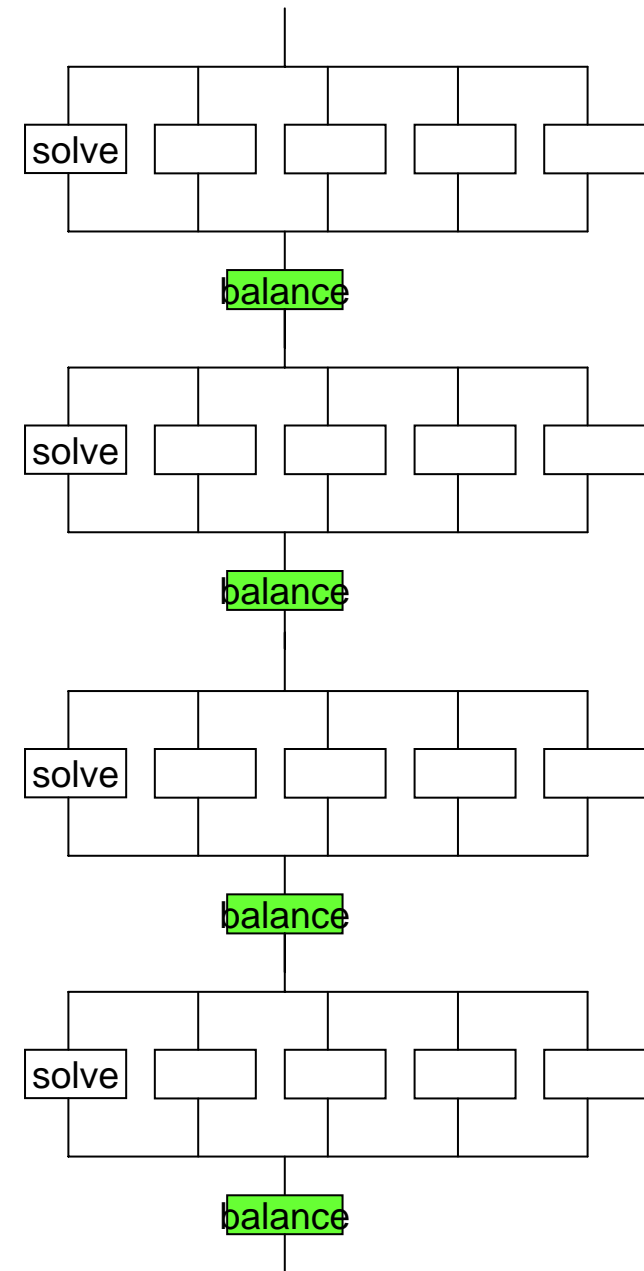
net solution {

net solve

connect stageA || stageB || stageC || .. ;

}

connect (solve!<p>.. balance) * <out>



Stages A,B,C

```
net solution {
  net solve
  connect stageA | stageB | stageC | .. ;
}
connect (solve!!<p>.. balance) * <out>
  comments
```

```
<p>,<A>,Phi, LD,<nw>, x,v
<p>,<A>,LD, x, v, <return>
```

```
stageA: {<p>,<A>, Phi, LD,<nw>, x}→{<p>,<B>,LD,rho},{<p>, <C>,rho} ,
        {<p>,<C>,Phi,LD,<nw>,x},           as is
        {<p>,<C>,Right}, p= p-1
        {<p>,<C>,Left}  p= p+1
```

```
{<p>,<A>,LD,x,v,<return>} → {{<p>,<B>,LD1,rho1}      p= return
                           {<p>,<F>,<return>,LD, x,v}  as is
                           {<p>,<D>,<loc>,LD1}}         LD1=LD,loc=p,p=return
```

```
stageB=[ | {<p>,<B>,LD,rho} {<B>,LD1,rho1} | ]..cagr
```

```
cagr: {<B>,LD,LD1,rho,rho1} → {<C>,rho}
```

```
stageC=[ | {<C>,Phi} {<p>,<C>,rho} {<C>,Right}{<C>,Left} | ] ..fsolve..[{<D>} →{<D>}];{<F>}]
```

```
fsolve: {<C>,rho,Phi,LD,Right,Left} →{<D>,Phi,LD}
```

Stage A in detail: A1

stageA: $\{\langle p \rangle, \langle A \rangle, \text{Phi}, \text{LD}, \langle \text{nw} \rangle, x\} \rightarrow \{\langle p \rangle, \langle B \rangle, \text{LD}, \text{rho}\}, \{\langle p \rangle, \langle C \rangle, \text{rho}\},$ comments
 $\{\langle p \rangle, \langle C \rangle, \text{Phi}, \text{LD}, \langle \text{nw} \rangle, x\},$ as is
 $\{\langle p \rangle, \langle C \rangle, \text{Right}\}, p = p - 1$
 $\{\langle p \rangle, \langle C \rangle, \text{Left}\} p = p + 1$
 $\{\langle p \rangle \langle A \rangle \text{LD}, x, v, \langle \text{return} \rangle\} \rightarrow \{\langle p \rangle, \langle B \rangle, \text{LD1}, \text{rho1}\}, p = \text{return}$
 $\{\langle p \rangle, \langle F \rangle, \langle \text{return} \rangle, \text{LD}, x, v\},$ as is
 $\{\langle p \rangle, \langle D \rangle, \langle \text{loc} \rangle, \text{LD1}\}$ LD1=LD, loc=p, p=return

stageA = stageA1 | stageA2

stageA1 = $[\{\langle A \rangle, \langle \text{nw} \rangle\} \text{ if } \langle \text{nw} \rangle == 1 \rightarrow \{\langle B \rangle, \text{LD}\}; \{\langle C \rangle, \langle \text{nw} \rangle\}$
 $\rightarrow \{\langle C \rangle\}; \{\langle C \rangle, \langle \text{nw} \rangle\}]$

.. (interpolate |
 $[\{\langle \text{nw} \rangle\} \rightarrow \{\langle \text{nw} \rangle, \langle i \rangle\}; \{\langle \text{nw} \rangle, \langle ii \rangle\}]$..

(getEndpoints | $[\{\langle ii \rangle\} \rightarrow]$)

interpolate : $\{x, \text{LD}\} \rightarrow \{\text{rho}, \text{LD}\}$

getEndpoints: $\{\langle p \rangle, \text{Phi}, \text{LD}\} \rightarrow \{\langle p \rangle, \text{Right}\}, \{\langle p \rangle, \text{Left}\}$



Stage A in detail: A2

stageA: $\{\langle p \rangle, \langle A \rangle, \text{Phi}, \text{LD}, \langle \text{nw} \rangle, x\} \rightarrow \{\{\langle p \rangle, \langle B \rangle \text{LD}, \langle \text{nw} \rangle, \text{rho}\}$ comments
 $\{\langle p \rangle, \langle C \rangle, \text{Phi}, \text{LD}, \langle \text{nw} \rangle, x\}$ as is
 $\{\langle p \rangle, \langle C \rangle, \text{Right}\}$ $p = p - 1$
 $\{\langle p \rangle, \langle C \rangle, \text{Left}\}$ $p = p + 1$
 $\{\langle p \rangle \langle A \rangle \text{LD}, x, v \langle \text{return} \rangle\} \rightarrow \{\langle p \rangle, \langle B \rangle, \text{LD1}, \text{rho1}\}$ $p = \text{return}$
 $\{\langle p \rangle, \langle F \rangle, \langle \text{return} \rangle, \text{LD}, x, v\}$, as is
 $\{\langle p \rangle, \langle D \rangle, \langle \text{loc} \rangle, \text{LD1}\}$ $\text{LD1} = \text{LD}, \text{loc} = p, p = \text{return}$

stageA2 = $[\{\langle A \rangle, \langle \text{return} \rangle\} \rightarrow \{\langle B \rangle, \langle \text{return} \rangle\}; \{\langle F \rangle, \langle \text{return} \rangle\}; \{\langle D \rangle\}]..$
 $($
 $\quad [\{\langle B \rangle, \langle \text{return} \rangle\} \rightarrow \{\langle B \rangle, \langle p \rangle = \langle \text{return} \rangle\}].. \text{interpolate} \mid$
 $\quad [\{\langle D \rangle, \langle \text{return} \rangle, \langle p \rangle\} \rightarrow \{\langle D \rangle, \langle \text{loc} \rangle = \langle p \rangle, \langle p \rangle = \langle \text{return} \rangle\}] \mid$
 $\quad []$
 $)$

interpolate : $\{x, \text{LD}\} \rightarrow \{\text{rho}, \text{LD}\}$



Conclusions

- SNet suggests a top down design style
- Records contain the state of computation, float between boxes
- Topology induced by tagging and type match
- Define signatures and insert synchronisers first
- Then refine signatures down to networks
- Finally the lowest level boxes should be stateless and generic





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